

**Review Pg. 392 #19b – use completing the square**

**U5L5 – 4.7 – The Quadratic Formula**

Students will :

see the development of the quadratic formula to solve quadratic equations that cannot be factored

use the quadratic formula to solve quadratic equations

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The height of a ball tossed in the air is given by  $h = -5t^2 + 8t + 15$ . Find the time(s) at which the height is 0m.

Since this quadratic can't be factored the only method we could use would be to complete the square as follows:

Rather than have to do all of this work over and over each time we have a quadratic that can't be factored let's develop a formula once and use it for all of these kinds of situations!

We will start with the general quadratic equation in standard form:

$$ax^2 + bx + c = 0$$

We will do Part 3 on pg. 398 together

## Examples

1. Solve:

a)  $2x^2 + 5 = 167$

b)  $4(2x - 1)^2 = 36$

2. A digital sensor records the height of a baseball after it is hit into the air. Quadratic regression on the data gives the quadratic relation  $y = -4.9x^2 + 20.58x + 0.491$ . How long is the ball in the air?

3. Dances at the community centre produce revenue;  $R = -60t^2 + 600t$ , where  $R$  is the revenue and  $t$  the ticket price in dollars.

The profit equation is  $P = R - E$ , where  $E$  is the expense equation.

$E = 1000 - 90t$  models the expenses for each dance.

a) Find the break-even price for tickets.

b) Find the maximum profit and the ticket price that yields this profit.

4. Determine how many roots each equation has.

a)  $-5x^2 + 8x - 10 = 0$

b)  $2(x-7)^2 - 12 = 0$

Read the Key Ideas on pg. 399

Ex. Pg.403 – 407 #(1 – 6)alt,10,11alt,12,13,16